

$$5. Q(N, V, T) = \frac{1}{N!} \left(\frac{2\pi m k_B T}{h^2} \right)^{3N/2} (V - Nb)^N e^{-aN^2/Vk_B T} \quad \text{b.c. } \beta = \frac{1}{k_B T}$$

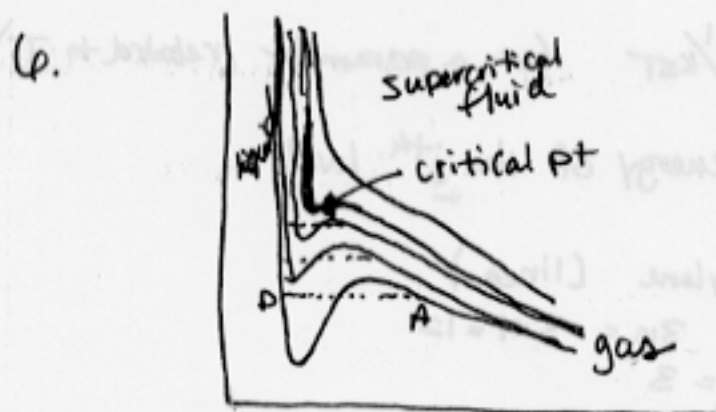
$$\langle E \rangle = k_B T^2 \left(\frac{\partial \ln Q}{\partial T} \right)_{N, V} \quad C_V = \frac{d\langle E \rangle}{dT}$$

$$\ln Q = -\ln N! + \frac{3N}{2} \ln \left(\frac{2\pi m k_B}{h^2} \right) + \frac{3N}{2} \ln T + N \ln(V - Nb) + \frac{aN^2}{V k_B T}$$

$$\frac{\partial \ln Q}{\partial T} = \frac{3N}{2T} - \frac{aN^2}{V k_B T^2}$$

$$\langle E \rangle = k_B T^2 \left(\frac{3N}{2T} - \frac{aN^2}{V k_B T^2} \right) = \frac{3}{2} N k_B T - \frac{aN^2}{V}$$

$$C_V = \frac{d\langle E \rangle}{dT} = \frac{3}{2} N k_B$$



- Between A + D, gases + liquids co-exist.
- van der Waals equation can't accurately describe the coexistence line. Because VDW is a cubic EOS w/ respect to \bar{V} , there are 3 real solutions below critical pt (1 @ critical pt; 1 real above c.p.) yielding VDW loops.

7. e $\text{Elec} > \text{vib} > \text{rot} > \text{trans}$

8. b. $f_2(F) > f_2(He)$ b/c it's easier to populate f_2 for F

9. ideal gas assumptions: 1. no interactions between gases
2. no molecular size
VDW: introduces empirical parameters a + b to account for interaction + size, respectively

10. $\bar{v} = v/c = \frac{5.3 \times 10^{13} \text{ } \cancel{\text{m}}/\text{s}}{2.9979 \times 10^{10} \cancel{\text{cm}}/\text{s}} = 1767.9 \text{ cm}^{-1}$